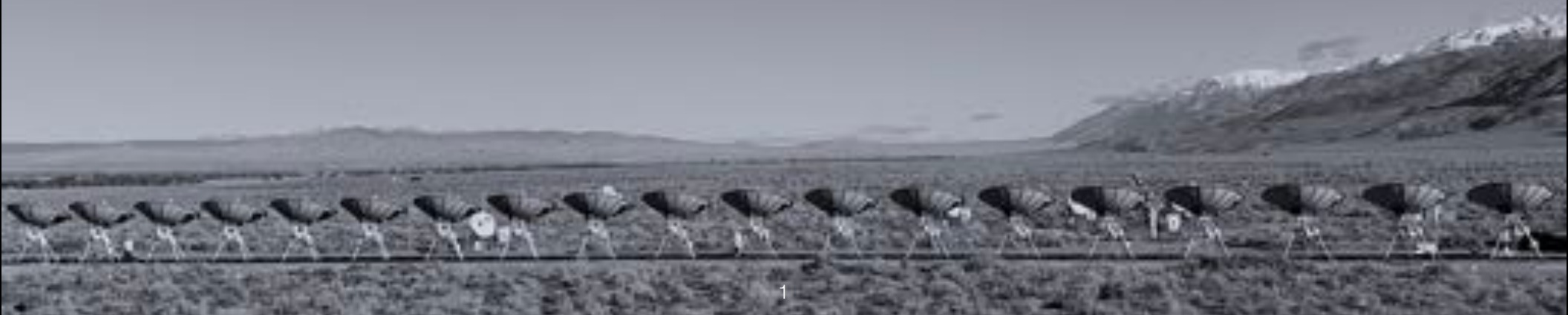


INTRO TO RADIO TELESCOPES

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Diffuse
emission

Supernova
remnant

The Mouse (young
pulsar + wind nebula)

Non-thermal
filament

AGN

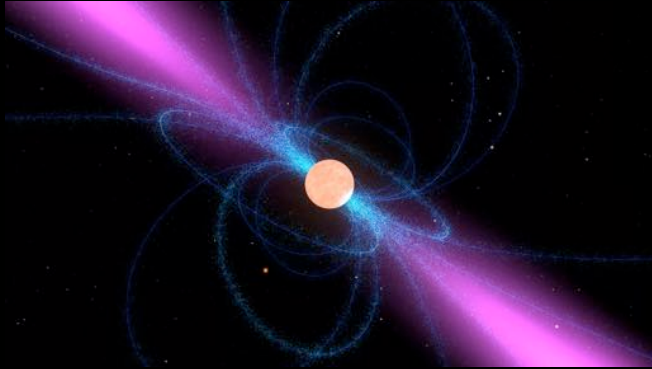
Supernova
remnant

Supernova
remnant

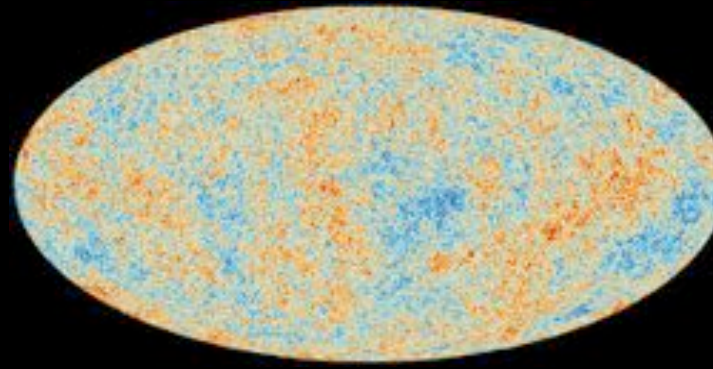
MeerKAT 1.28 GHz

ESA Sky / Heywood+22

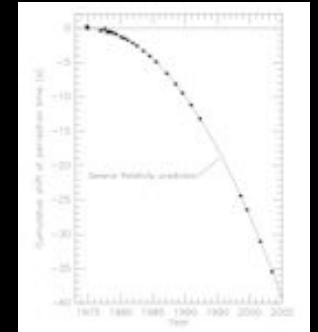
Discoveries made with radio telescopes



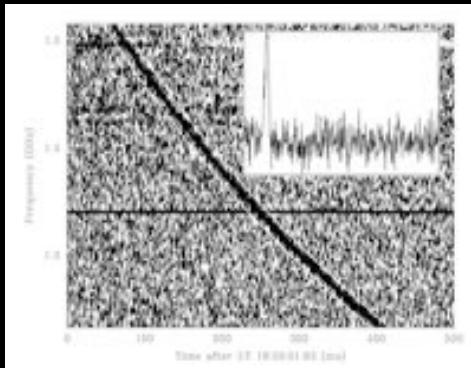
Pulsars



CMB



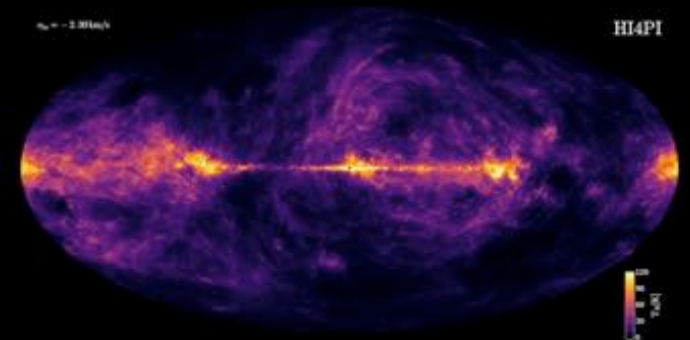
GW emission



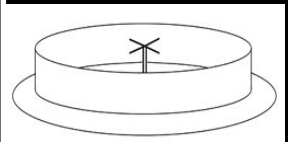
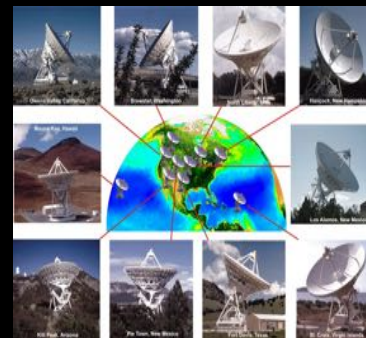
FRBs



Quasars



HI



Radio telescopes I: optics



How does the optical configuration of a radio telescope affect its performance?
Think about what a radio telescope "sees"

Radio telescopes I: optics



How does the optical configuration of a radio telescope affect its performance?
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Radio telescopes I: optics

How does the optical configuration of a radio telescope affect its performance?
Think about what a radio telescope “sees”

Fourier relations between

E-field in aperture/pupil plane $\leftrightarrow$ image plane

Spatial coherence function of incident radiation $\leftrightarrow$ intensity pattern of radiators

Aperture geometry and apodization $\leftrightarrow$ point-spread function

Important to recognize the difference between Fraunhofer and Fresnel diffraction regimes.

Radio telescopes II: sensitivity

What do we measure with radio telescopes, and what determines its uncertainty?

Radio telescopes II: sensitivity

What do we measure with radio telescopes, and what determines its uncertainty?

Received spectral power density from a source: $kT_A \equiv P_\nu = \frac{A_e S_\nu}{2}$.

In total, $T_{\text{sys}} = \frac{P_{\nu, \text{tot}}}{k} = T_{\text{CMB}} + T_{\text{radio bkg}} + (1 - e^{-\tau_A})T_{\text{atm}} + T_{\text{spill}} + T_{\text{RX}} + T_A$.

Nyquist-Shannon sampling theorem implies $2BT$ independent samples in bandwidth B and time T .

But the estimator of T_{sys} is chi-squared with one d.o.f., implying a variance of $2T_{\text{sys}}^2$.

Thus, the uncertainty in a measurement of T_{sys} is

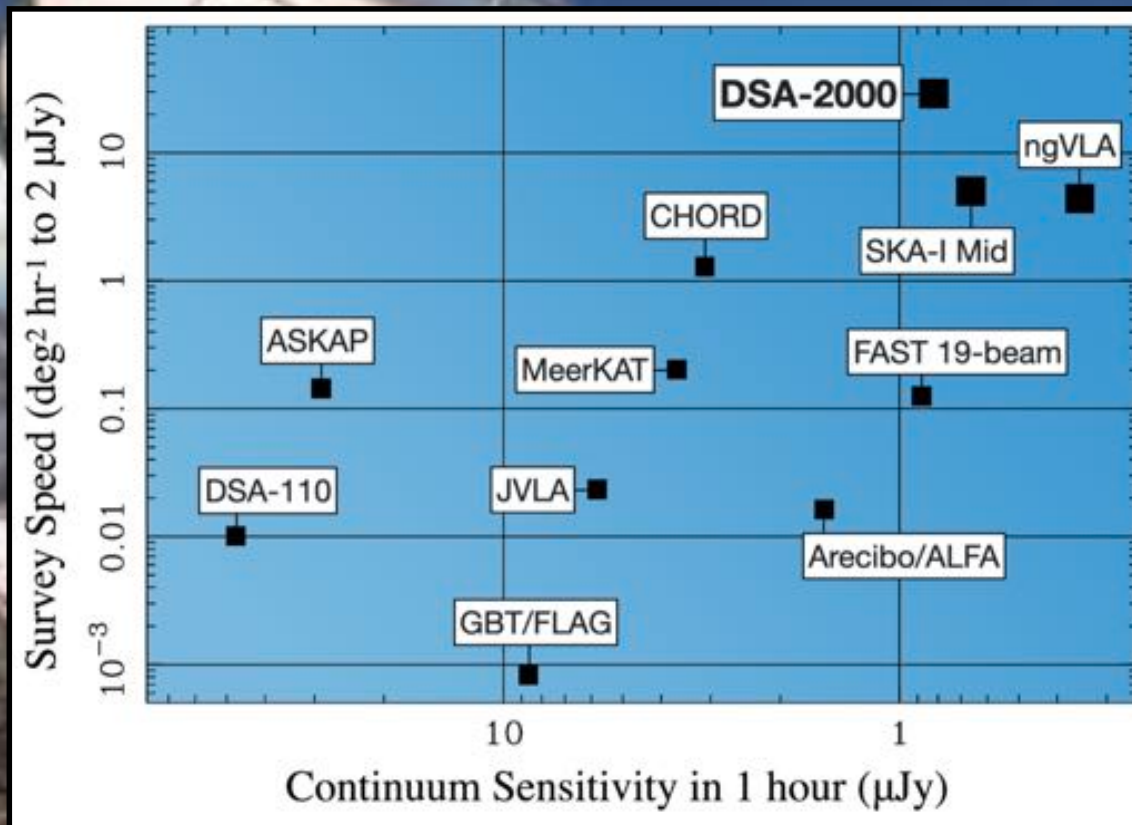
$$\sigma_T^2 = \frac{2T_{\text{sys}}^2}{N} = \frac{T_{\text{sys}}^2}{BT} \quad (\text{radiometer equation})$$

Radio telescopes III: signal processing

What can radio telescopes do that IR / optical / UV / X-ray / gamma-ray telescopes cannot?



The DSA-2000: the most powerful radio telescope ever built (2028+)



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What about a few decades from now?

A picture of the nHz gravitational-wave sky.

Mapping of the ionization of the IGM as the first stars and galaxies formed.

Small-scale baryon power spectrum with FRBs, leading to neutrino mass measurements.

Exotic pulsar systems: psr-bh, quark/strange star.

CMB B-mode polarization.

The composition of dark matter.